

| Q.9. | If $\mathrm{R}=\{(a, b): a=b\}$, then $R$ is |  |  |  |  |  |  |  |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
|  | A | only symmetric | B | Reflexive and symmetric | C | Symmetric and transitive | D | an equivalence relation |
| Q.10. | If $\mathrm{R}==\{(a, b): a \leq b, a, b$ are real numbers $\}$, then $R$ is |  |  |  |  |  |  |  |
|  | A | reflexive and symmetric | B | reflexive and transitive | C | Symmetric and transitive | D | none of these |
| Q. 11 | Let $T$ be the set of all triangles in a plane with $R$ a relation in $T$ given by $\mathrm{R}=\{(T 1, T 2): T 1$ is isimilar to $T 2\}$. Show that R is an equivalence relation. |  |  |  |  |  |  |  |
| Q12. | Let L be the set of all lines in a plane and R be the relation in L defined as $\mathrm{R}=\{(L 1, L 2): L 1 \perp L 2\}$. Show that R is symmetric but neither reflexive nor transitive. |  |  |  |  |  |  |  |
| Q13 | Determine whether the relation R defined on the set of $\mathbf{R}$ of all real numbers as $\mathrm{R}=\{(a, b): a, b \in \boldsymbol{R}$ and $a-b+\sqrt{3}$ is the set of irrational numbers $\}$ is reflexive or symmetric or transitive. Why? |  |  |  |  |  |  |  |
| Q14 | Prove that the relation $R$ on the set NXN defined by $(a, b) R(c, d)$, iff $a d=b c$, for $a l l(a, b),(c, d) \in N X N$ is an equivalence relation. |  |  |  |  |  |  |  |
| Q15. | Prove that the relation $R$ on the set AXA defined by $(a, b) R(c, d)$, if and only if $a+d=b+c$, for all $(a, b),(c, d) \in \operatorname{AXA}$ is an equivalence relation, where $A=\{1,2,3,4,5 \ldots, 10\}$. Write equivalence class of (25). |  |  |  |  |  |  |  |
| Q16. | Show that the relation $R$ defined on set $A=\{0,1,2,3, \ldots .12\}$ $\mathrm{R}=\{(a, b):\|a-b\|$ is diivisible by $4 ; a, b \in A\}$ is an equivalence relation. |  |  |  |  |  |  |  |
| Q17. | CASE STUDY QUESTION: <br> Sherlin and Danju are playing Ludo. While rolling the dice, Sherlin's sister Raji observed and noted the possible outcomes of the throw every time belongs to set $\{1,2,3,4,5,6\}$. Let $A$ be the set of players while $B$ be the set of all possible outcomes. $A=\{S, D\}$ and $B=\{1,2,3,4,5,6\}$. Based on the above information answer the following: |  |  |  |  |  |  |  |
|  | a) Write the number of possible functions from $A$ to $B$. <br> b) Detrmine if $\mathrm{R}=\{(\mathrm{x}, \mathrm{y})$ : y is divisible by $\mathrm{x}, \mathrm{x}, \mathrm{y} \in B\}$ is refexive, symmetric or transitive. <br> c) How many one to one functions can be defined from $A$ to $B$ ? <br> d) If $R=\{(1,2),(2,2),(1,3),(3,4),(3,1),(4,3),(5,5)\}$, where $R$ is relation from $B$ to $B$, check whether $R$ is an equivalence relation |  |  |  |  |  |  |  |


| $\frac{\sim}{\sim}$ | 1. | A | 2. | D |  | 3. | B | 4. | D |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
|  | 5. | C | 6. | C |  | 7. | B | 8. | D |
|  | 9. | D | 10 | B |  | 13. | only reflexive |  |  |
|  | 15 | $\begin{aligned} & \{(2,5),(1,4),(3,6),(4, \\ & 7),(5,8),(6,9),(7,10)\} \end{aligned}$ |  | 17 | a) 36 <br> b) not symmetric <br> c) 30 <br> d) neither reflexive nor symmetric nor transitive |  |  |  |  |

